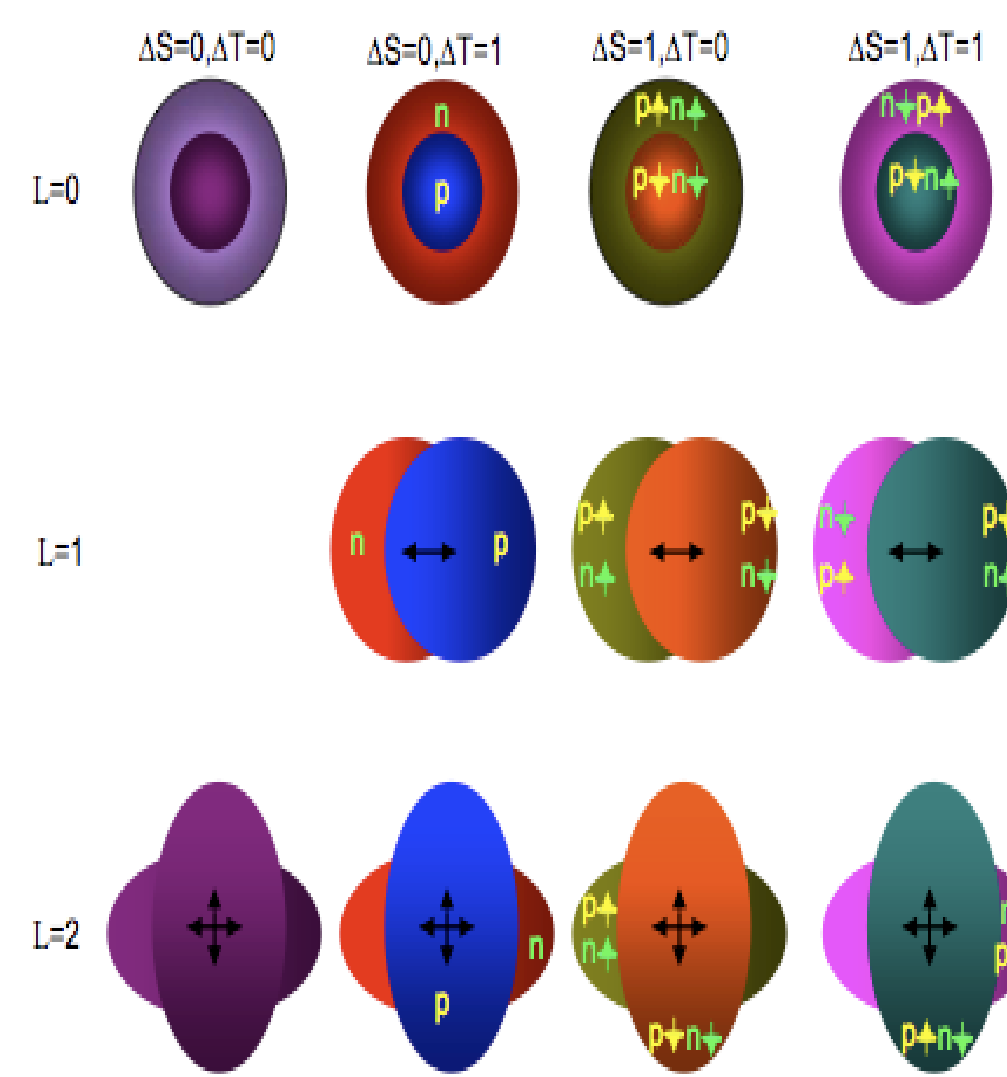


# Determining Physical Continuum Background Using the Calculated Cross-Section of the Giant Monopole Resonance

Mike Henry  
Advisor: Dr. Dave Youngblood

## What is the Giant Monopole Resonance?

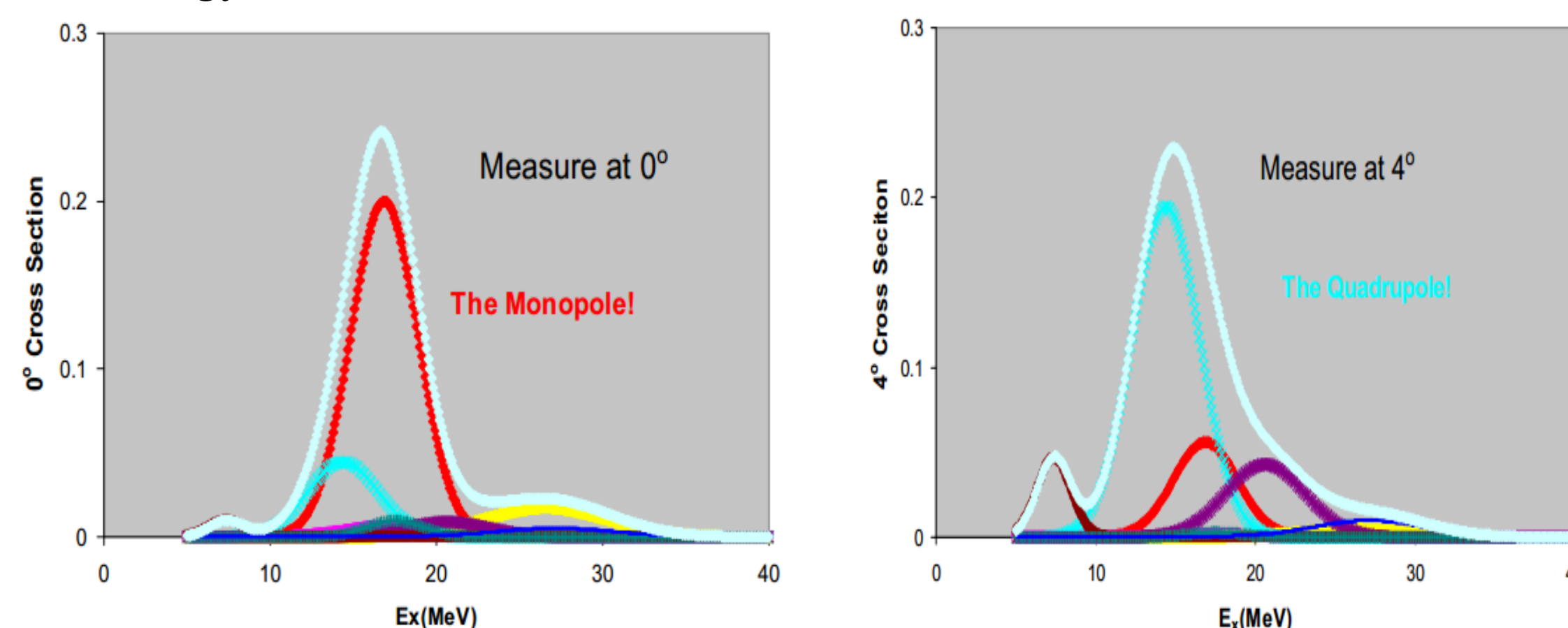
- Collective excitation of the Nucleus
- Isoscalar: Neutrons and protons in phase
- Isovector: Neutrons and protons out of phase
- Monopole
  - Breathing mode
  - $L=0$
- Resonances occur simultaneously



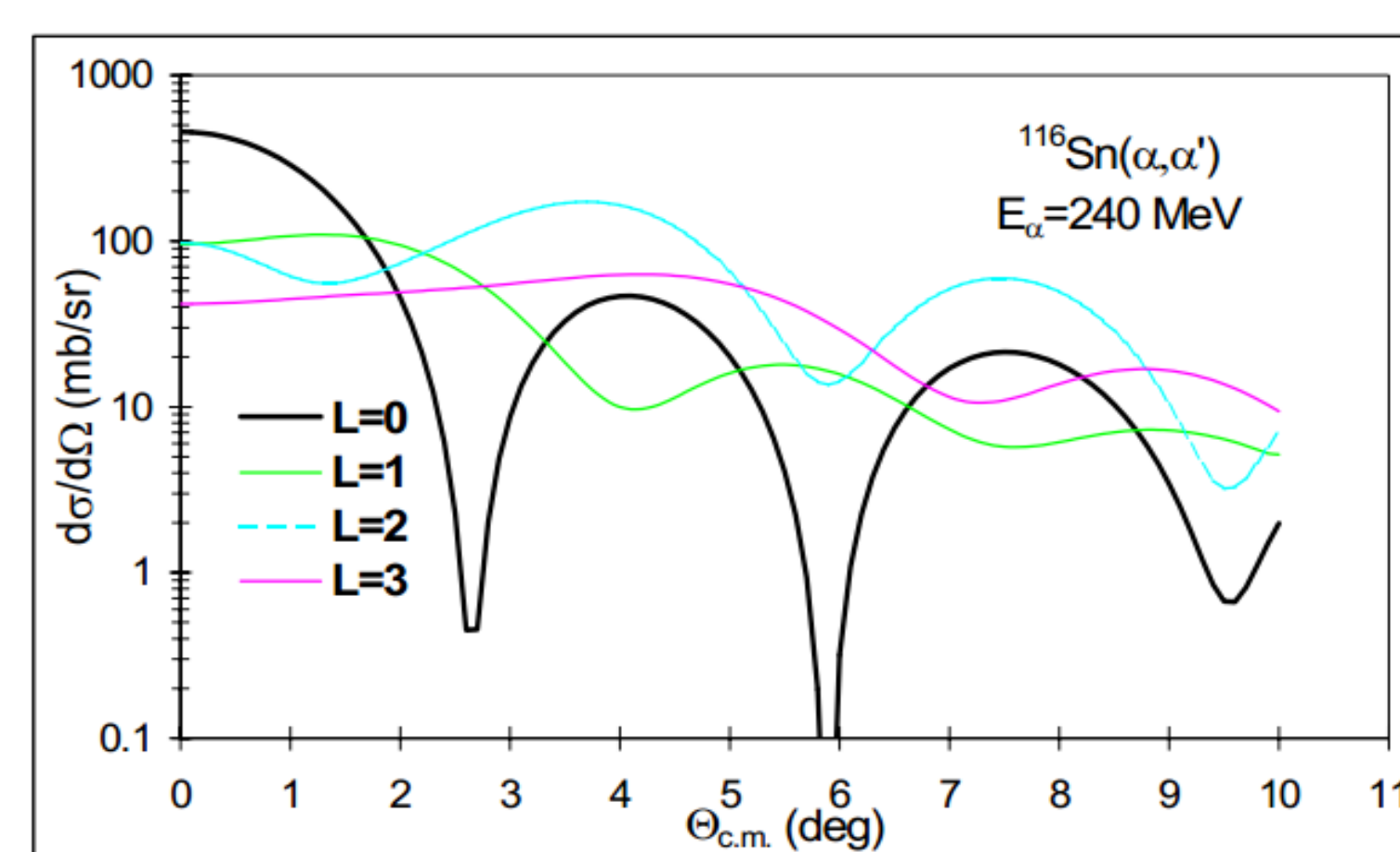
[http://cyclotron.tamu.edu/pics/structure\\_01.bmp](http://cyclotron.tamu.edu/pics/structure_01.bmp)

## Cross Section of the GMR

- By scattering at different angles we are able to excite different resonances
- We can then subtract out the other resonances to find the energy of the GMR



Inelastic  $\alpha$  scattering  $E_\alpha=240\text{MeV}$



\*Unpublished images taken from REU Lecture, DH Youngblood 2012

## GMR & the Compressibility of Nuclear Matter

- Nuclear matter is found in Neutron stars
- Compressibility of nuclear matter required to calculate equation of state
- By knowing the energy of the GMR we can find the compressibility of the nucleus

$$E_{GMR} = \hbar \left( \frac{K_A}{m \langle r^2 \rangle} \right)^{1/2}$$

- Compressibility of nucleus:  $K_A$
- From the compressibility of nuclei we can calculate the compressibility of nuclear matter

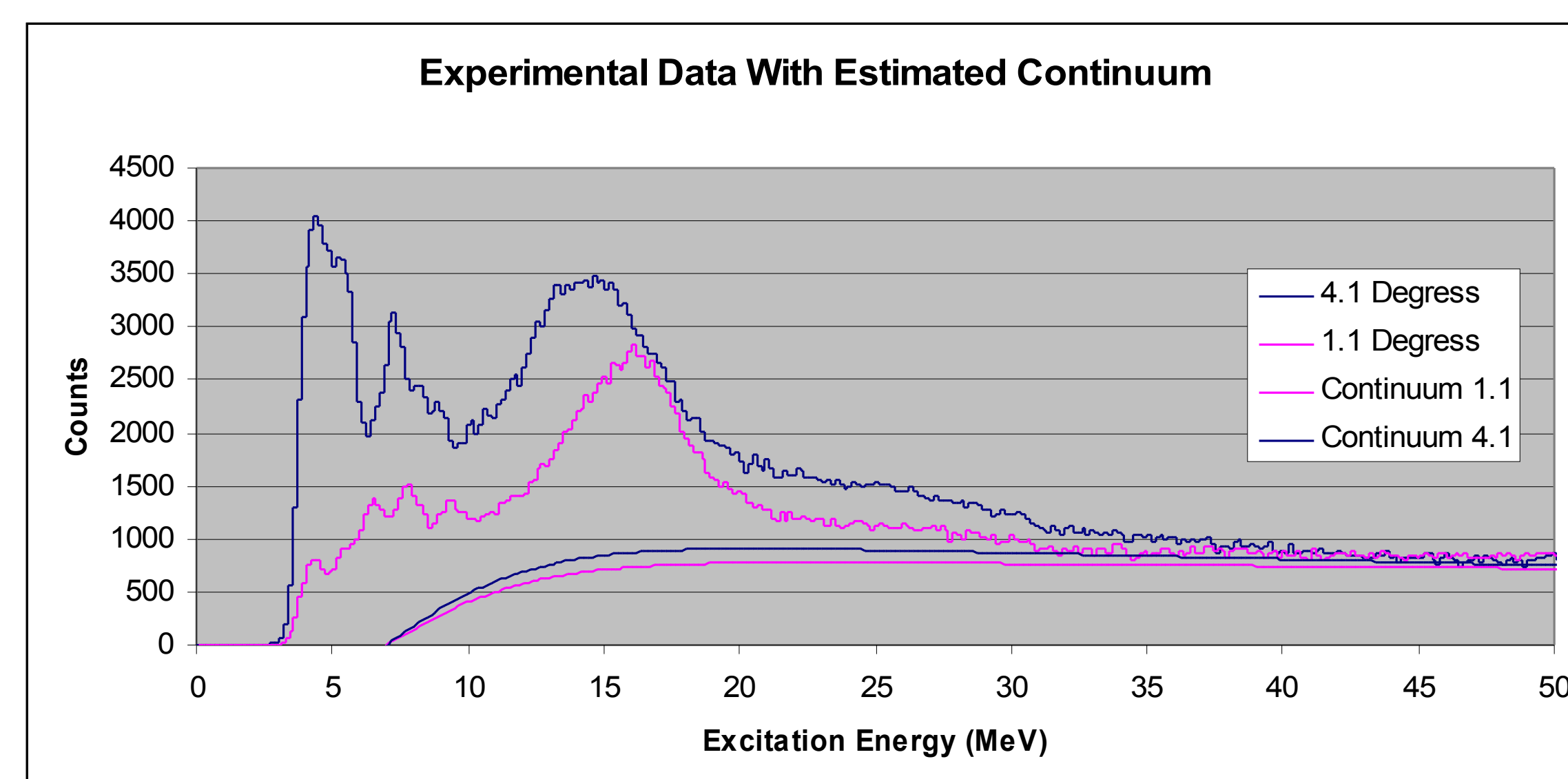
- Leptodermous Expansion:

$$K_A = K_{NM} + K_{Surf} A^{-1/3} + K_{VS} \left( \frac{N-Z}{A} \right)^2 + K_{Coul} \frac{Z^2}{A^{4/3}}$$

- Calculations with effective interactions more accurate
- Period:  $\tau \approx 6 \times 10^{-22} \text{ s}$
- Oscillation Amplitude:  $\frac{\delta \rho}{\rho} \approx 0.05$
- Velocity of Sound in Nuclear Matter:  $.15c$

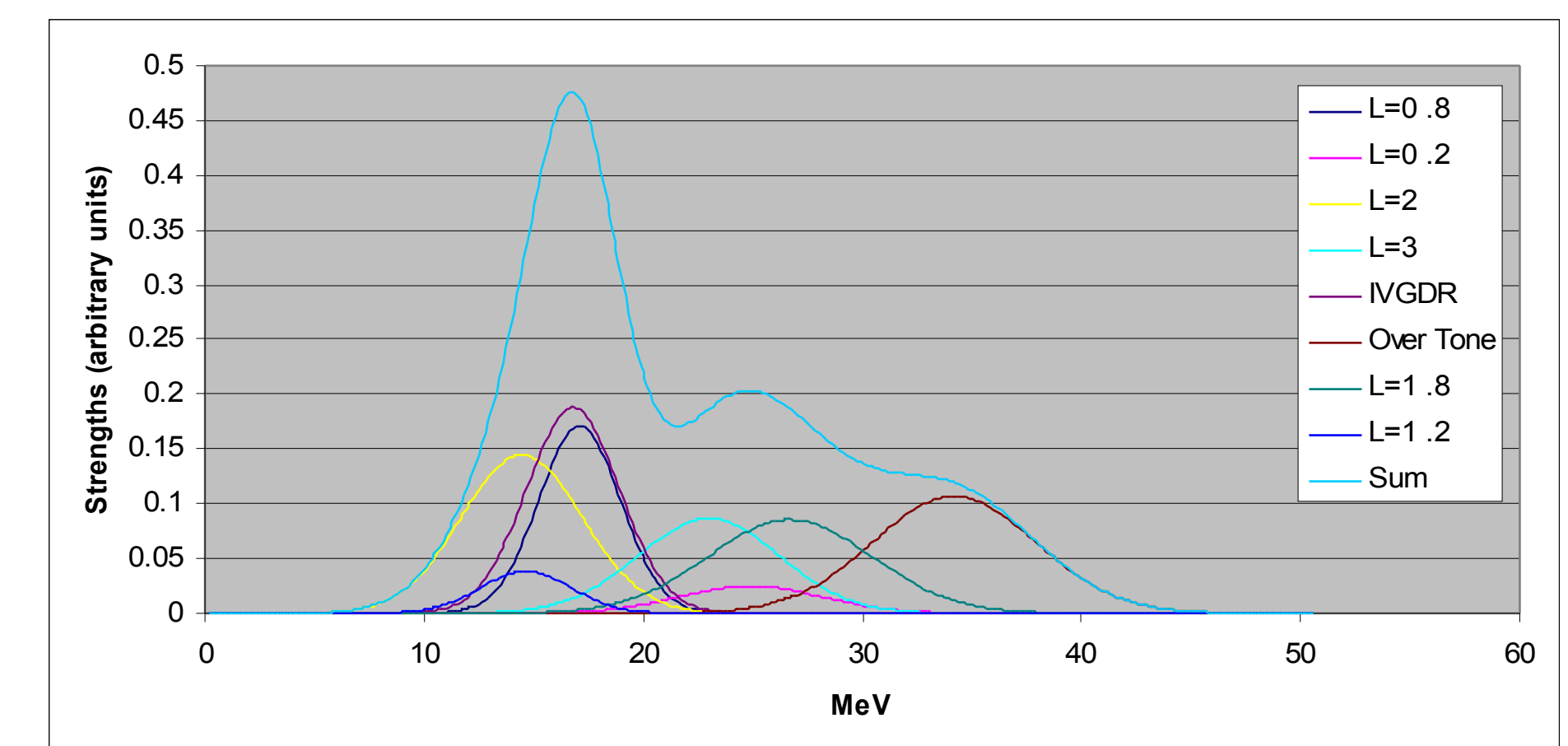
## Current Method of Estimating the Continuum

- We assume a fermi shape at low excitation energy and a line at high excitation energy
- Assume continuum changes smoothly with angle
- Must be within “reason”

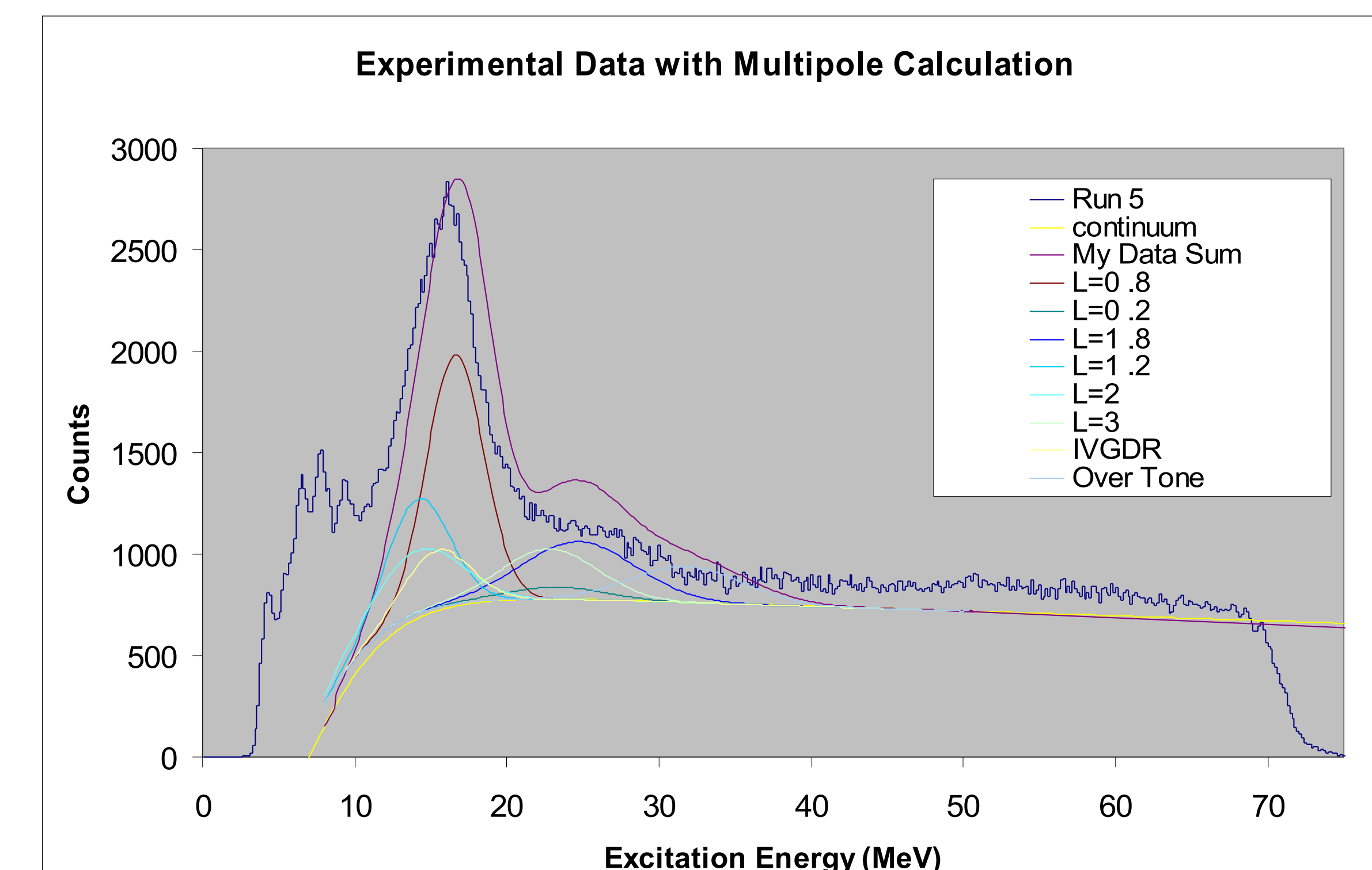


## Working Backwards: Calculating Cross-Section

- From experimental results we know approximate distributions of strengths of each multipole
- Assume 100% of the energy weighted sum rule to calculate how much each multipole contributes to the data



- Use DWBA calculations for cross section as a function of angle then calculate the angular distributions from multipole distributions
- Convert the angular distribution into counts and plot this data
- This is the inverse of what we do with experimental data



- Now we can see how each resonance contributes to the experimental data
- We can also “play” with the continuum to see where the continuum should be